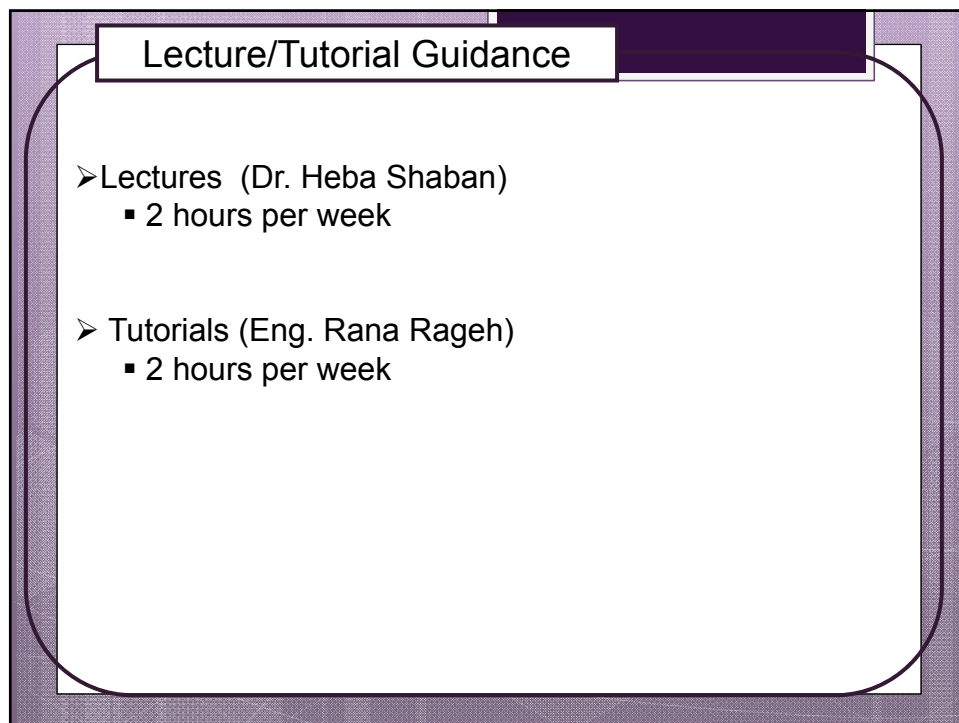


The slide features a purple background with a geometric pattern. A white rectangular area on the right side contains the course title and instructor information. A dark purple rectangle is positioned above the white area.

# EC320 Communications Theory

Instructor: Dr. Heba A. Shaban



The slide has a purple background with a geometric pattern. A white box at the top contains the title 'Lecture/Tutorial Guidance'. Below it, a white rounded rectangle contains a list of lecture and tutorial details. A dark purple rectangle is positioned to the right of the title box.

## Lecture/Tutorial Guidance

- Lectures (Dr. Heba Shaban)
  - 2 hours per week
  
- Tutorials (Eng. Rana Rageh)
  - 2 hours per week

## Assessment

- 7<sup>th</sup> week (30% weighting).
  - Two quiz (10% weighting)
  - 7<sup>th</sup> week exam (20% weighting)
  
- 12<sup>th</sup> week (20% weighting).
  - One quiz (5% weighting)
  - 12<sup>th</sup> week exam (15% weighting)
  
- Tutorial(10% weighting).
  
- Final exam (40% weighting).

## Introduction and types of signals

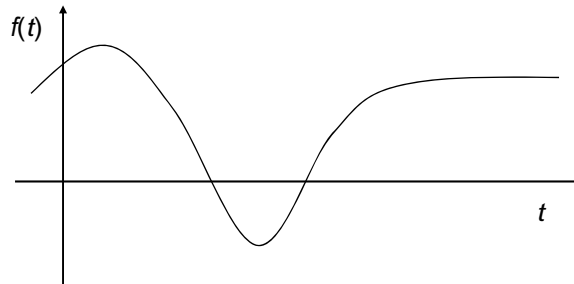
Signals section of the slides is based on EC321 course slides prepared by Dr. Amr El-Helw

## What is a Signal?

- A signal is a pattern of variation of some form
- A signal is a varying quantity whose value can be measured and which conveys information.
- Examples of signal include:
  - Electrical signals
    - Voltages and currents in a circuit
  - Acoustic signals
    - Acoustic pressure (sound) over time
  - Mechanical signals
    - Velocity of a car over time
  - Video signals
    - Intensity level of a pixel (camera, video) over time

## How is a Signal Represented?

- Mathematically, signals are represented as a function of one or more **independent variables**.
- For instance a black & white video signal intensity is dependent on  $x, y$  coordinates and time  $t$   $f(x, y, t)$
- On this course, we shall be exclusively concerned with signals that are a function of a single variable: time/frequency



## Signal Representation

Signals are functions of time. There are two ways by which we can represent the signal.

Time Domain Representation  $\longleftrightarrow$  Signal  $\longleftrightarrow$  Frequency Domain Representation

*Why Use Frequency Representations When We Can Represent Any Signal With Time Functions?*

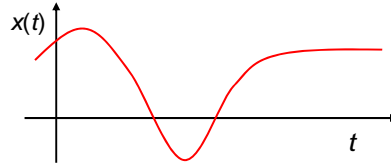
## Signal Classification

- **Continuous & Discrete:**  $x(t)$  &  $x_n$
- **Digital & Analog**
- **Causal vs. Anti-causal vs. Non-causal**
- **Even vs. Odd**
- **Random & deterministic**
- **Periodic and Non-Periodic (or Aperiodic)**  
 periodic if:  $x(t) = x(t + T)$  or  $x_n = x_{n+N}$
- **Energy vs. Power**

## Continuous & Discrete-Time Signals

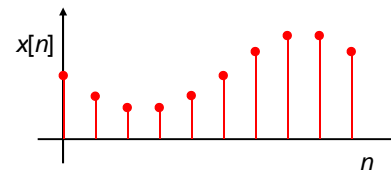
### Continuous-Time Signals

- Most signals in the real world are continuous time, as the scale is infinitesimally fine.
- Denoted by  $x(t)$ , where the time interval can be bounded (finite) or infinite.



### Discrete-Time Signals

- Some real world and many digital signals are discrete time, as they are sampled.
- Contains information about the signal only at discrete points in time.
- Denoted by  $x[n]$ , where  $n$  is an integer value that varies discretely.



## Analogue vs. Digital Signals

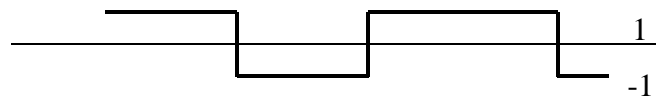
### Analog signals

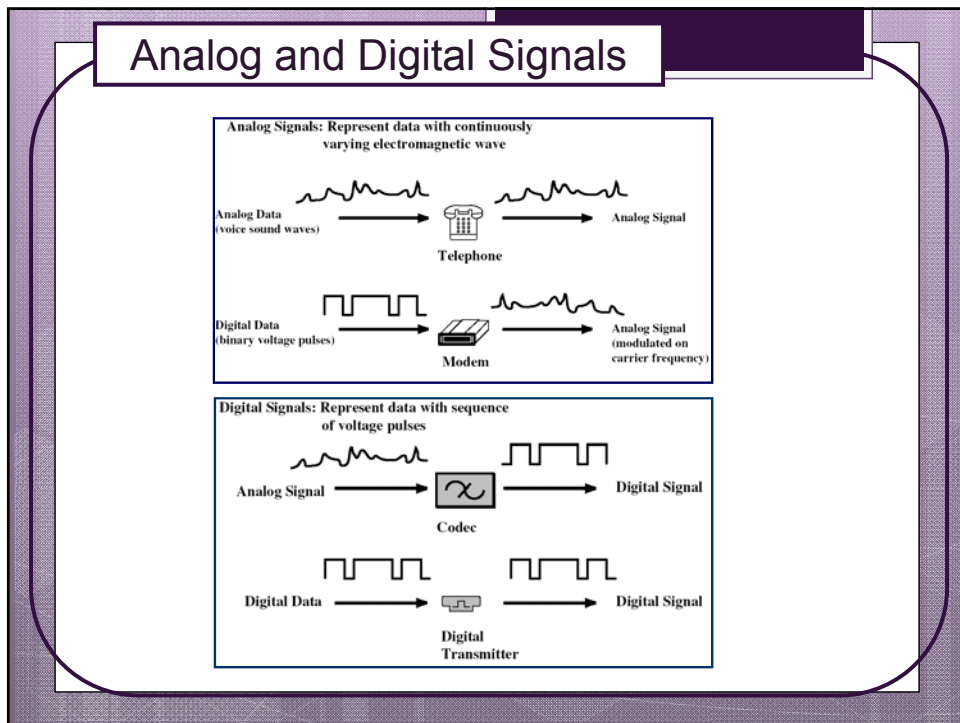
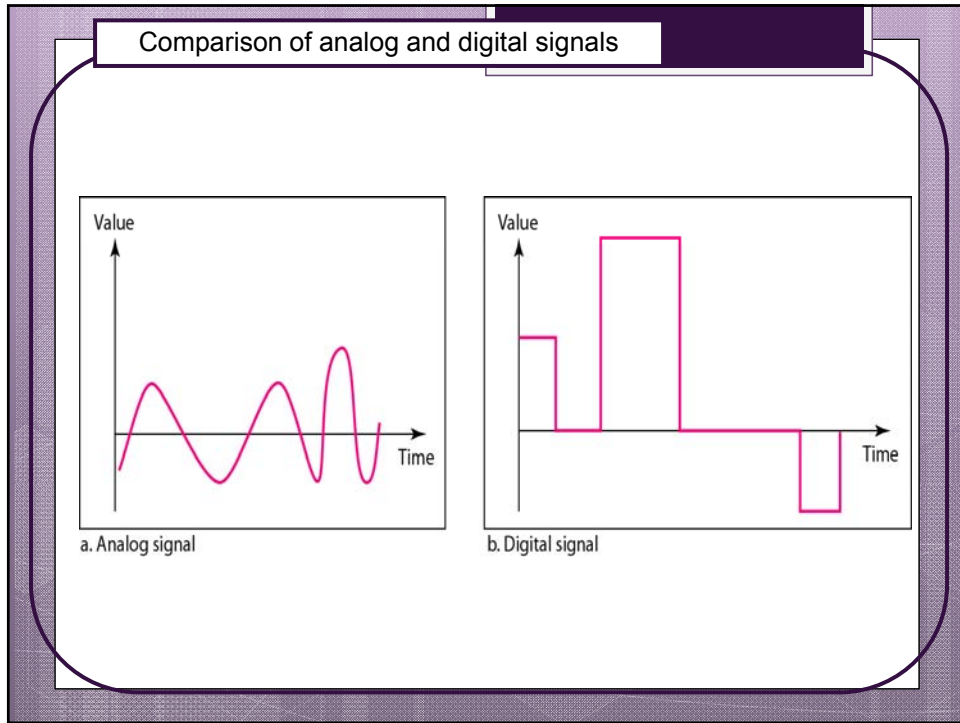
- Amplitude of analog signal can take any real or complex value at each time/sample.



### Digital signals

- They consist of pulses or digits with discrete levels or values. The value of each pulse is constant, but there is an abrupt change from one digit to the next.





## Analog and Digital Signals

- Advantages of digital signals in communication:
  - Regenerator receiver

- Different kinds of digital signal are treated identically.

### ▪ Continuous vs. Discrete

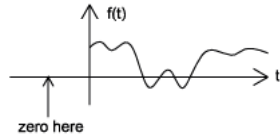
Continuous corresponds to a continuous x-axis, while discrete corresponds to a discrete x-axis.

### ▪ Analog vs. Digital

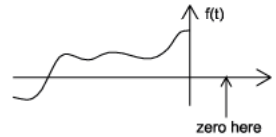
Analog corresponds to a continuous y-axis, while digital corresponds to a discrete y-axis.

### Causal vs. Anticausal vs. Noncausal

- Causal signals are signals that are zero for all negative time, while anti-causal are signals that are zero for all positive time.

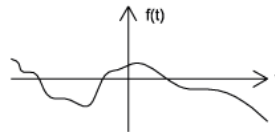


A causal signal



An anti-causal signal

- Non-causal signals are signals that have nonzero values in both positive and negative time

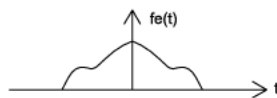


A noncausal signal

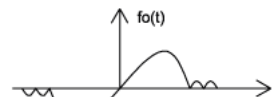
### Even vs. Odd

- An even signal is any signal  $f(t)$  such that  $f(t) = f(-t)$ . Even signals can be easily spotted as they are symmetric around the vertical axis.

- An odd signal, on the other hand, is a signal  $f$  such that  $f(t) = -f(-t)$ . Odd signals can be easily spotted as they are symmetric around the horizontal axis.



An even signal



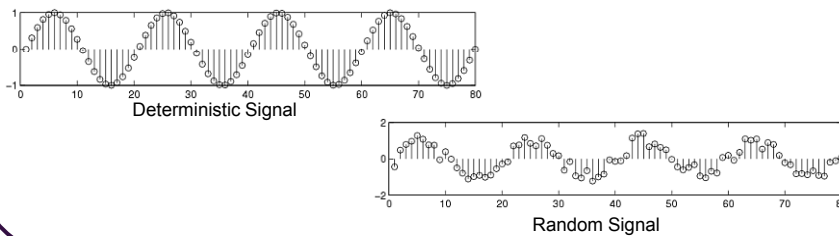
An odd signal



## Deterministic vs. Random

A *deterministic signal* is a signal in which each value of the signal is **fixed** and can be determined by a **mathematical expression**, rule, or table. Because of this the future values of the signal can be calculated from **past values** with complete confidence.

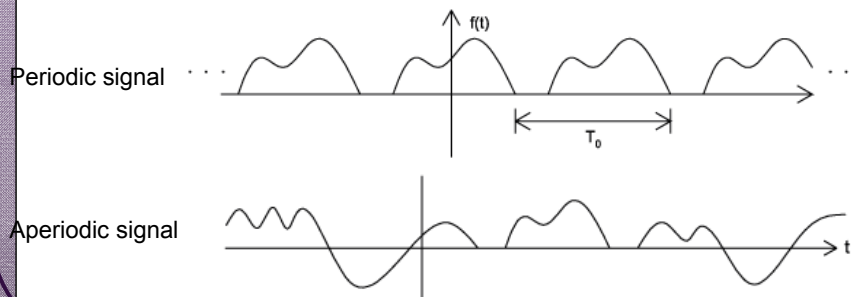
On the other hand, a **random signal** has a lot of uncertainty about its behaviour. The future values of a random signal cannot be accurately predicted and can usually only be guessed based on the **averages** of sets of signals



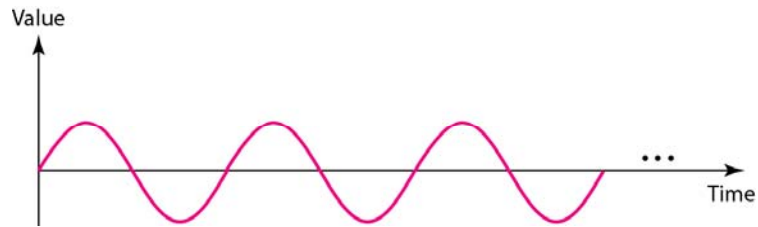
## Periodic vs. Aperiodic

▪ **Periodic signals** repeat with some *period T*, while **aperiodic**, or non-periodic, signals do not.

▪ We can define a periodic function through the following mathematical expression, where  $t$  can be any number and  $T$  is a positive constant:  $f(t) = f(T+t)$



### A sine wave (periodic wave example)

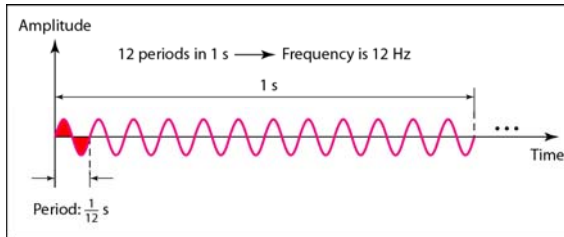


*simple periodic signal*

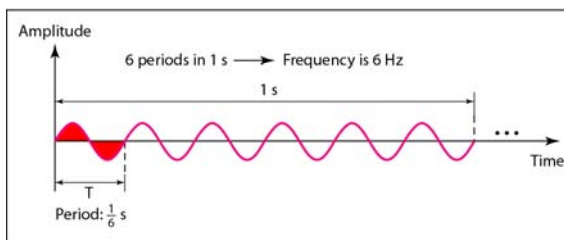
Frequency and period are the inverse of each other.

$$f = \frac{1}{T} \quad \text{and} \quad T = \frac{1}{f}$$

### Two signals with the same amplitude and phase, but different frequencies



a. A signal with a frequency of 12 Hz



b. A signal with a frequency of 6 Hz

### Units of period and frequency

Unit	Equivalent	Unit	Equivalent
Seconds (s)	1 s	Hertz (Hz)	1 Hz
Milliseconds (ms)	$10^{-3}$ s	Kilohertz (kHz)	$10^3$ Hz
Microseconds ( $\mu$ s)	$10^{-6}$ s	Megahertz (MHz)	$10^6$ Hz
Nanoseconds (ns)	$10^{-9}$ s	Gigahertz (GHz)	$10^9$ Hz
Picoseconds (ps)	$10^{-12}$ s	Terahertz (THz)	$10^{12}$ Hz

### Energy vs. Power signal

- A signal is an energy signal if, and only if, it has nonzero but finite energy for all time:

$$E_x = \int_{-\infty}^{\infty} |x(t)|^2 dt \quad (0 < E_x < \infty)$$

- A signal is a power signal if, and only if, it has finite but nonzero power for all time:

$$P_x = \lim_{T \rightarrow \infty} \frac{1}{T} \int_{-T/2}^{T/2} |x(t)|^2 dt \quad (0 < P_x < \infty)$$

- General rule: Periodic signals are power signals, while signals that are non-periodic are energy signals.

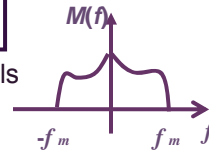
# Introduction to Communication Systems

## Communication Systems

- The purpose of a communication system is to transmit information (**baseband**) signals located at one point (**source**) in space to another point (**destination**).
- The term **baseband** is used to designate the band of frequencies representing the original signal as delivered by the input transducer.
- For example, the voice signal from a microphone is a baseband signal, and contains frequencies in the range of 300-3400 Hz.

## Why We Need Communication Systems

- Messages are in the form of baseband signals (low frequencies).



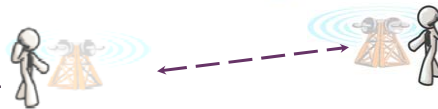
- Example human voice (speech)
  - Small distances.



- Longer distances
  - Microphones and loudspeakers.



- Very long distances??
  - Communication system.

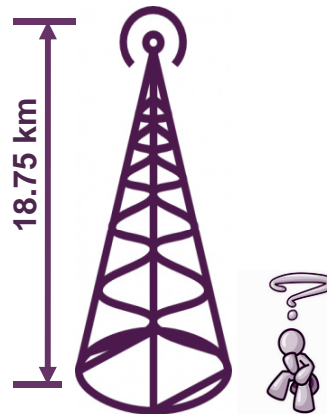


## Why We Need Communication Systems

- Speech frequency 300-3400 Hz.
- Antenna length is directly proportional to  $\lambda / 4$ .

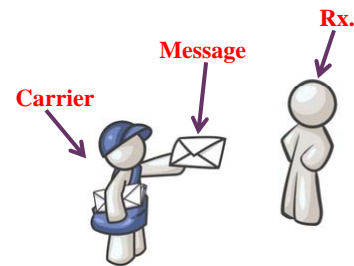
$$f = \frac{c}{\lambda}, c = 3 * 10^8 \text{ m / sec}$$

- Antenna length 18.75 km ??
- Need solutions...
- Higher frequencies??

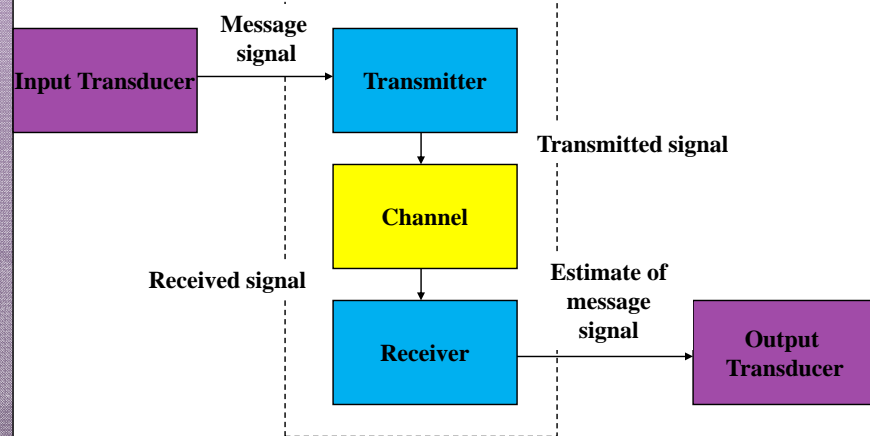


## Concept of Modulation

- Have baseband signal.
- Have carrier signal (typically high frequency).
- Modulate carrier with message.
- Demodulate signal (remove carrier at the receiver (Rx.).
- Restore original signal.



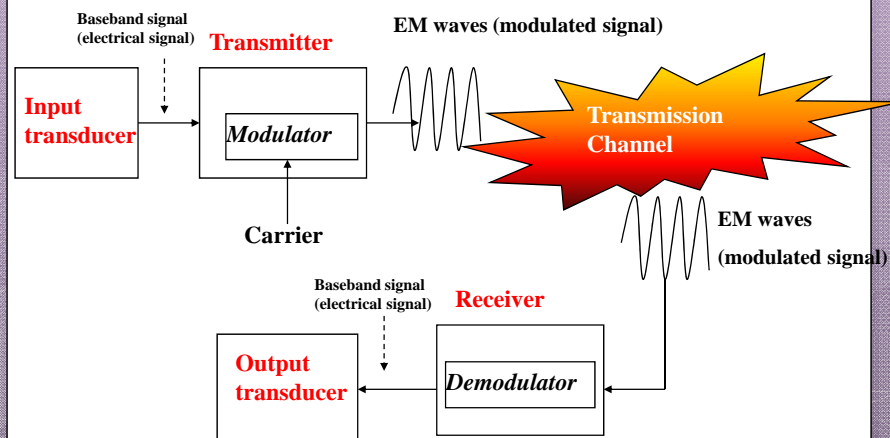
## Generic Communication System



## Components of Communication Systems

- **Input transducer:** The device that converts a physical signal from source to an electrical, mechanical or electromagnetic signal more suitable for communication.
- **Transmitter:** The device that sends the transduced signal.
- **Transmission channel:** The physical medium on which the signal is carried.
- **Receiver:** The device that recovers the transmitted signal from the channel.
- **Output transducer:** The device that converts the received signal back into a useful quantity.

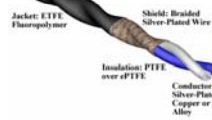
## Basic Analog Communication System



## Transmission Channels

### Wire-line channel

#### Twisted pair



#### Coaxial cable



#### Fiber optics

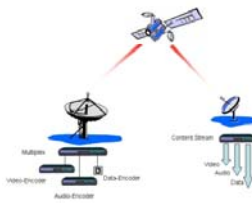


### Wireless Communication channel

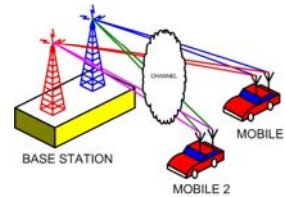
#### Wireless networks



#### Satellite comm.



#### Mobile comm.



## Types of Analog Modulation

### Amplitude Modulation (AM)

- Amplitude modulation is the process of *varying the amplitude of a carrier wave in proportion to the amplitude of a baseband signal*. The frequency of the carrier remains constant

### Frequency Modulation (FM)

- Frequency modulation is the process of *varying the frequency of a carrier wave in proportion to the amplitude of a baseband signal*. The amplitude of the carrier remains constant

### Phase Modulation (PM)

- Phase modulation is the process of *varying the phase of a carrier wave in proportion to the amplitude of a baseband signal*. The amplitude of the carrier also remains constant.



